



The University of Jordan

Accreditation & Quality Assurance Center

<u>Course Syllabus</u>

<u>Course Name</u>: Number Theory



Course Syllabus

1	Course title	Number Theory					
2	Course number	(0331261)					
3	Credit hours	3					
5	Contact hours (theory, practical)	3					
4	Prerequisites/corequisites	(0301211)					
5	Program title	B.Sc.					
6	Program code						
7	Awarding institution	The University of Jordan					
8	School	Science					
9	Department	Mathematics					
10	Course level	Compulsory Specialization requirement					
11	Year of study and semester (s)	2 nd or 3 rd 1 st and 2 nd or summer semester					
12	Other department (s) involved in teaching the course	None					
13	Main teaching language	English					
14	Delivery method	Face to face learning Blended Fully online					
15	Online platforms(s)	Moodle Microsoft Teams Skype Zoom					
16	Issuing/Revision Date	3-11-2022					

17 Course Coordinator:

Name: Prof. Omar Abughneim

Contact hours: 8:30-10:00

Office number: 329

Email:o.abughneim

Phone number:



18 Other instructors:

ame:
ffice number:
hone number:
mail:
ontact hours:
ame:
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hone number:
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ontact hours:

19 Course Description:

As stated in the approved study plan.

Axiomatic systems: consistency, independence and completeness, finite projective geometry, paradoxes of Euclidean geometry, the postulates of connection, the measurement of distance, ruler postulate, order relations, plane-separation postulate, space-separation theorem, Pasch theorem, further properties of angles, triangles, congruence postulate, parallel postulate, similarity, Pythagorean theorem, theorems of Ceva and Menelous, Erdös theorem, circles, central and inscribed angles, cyclic quadrilaterals, Simson's line, nine point circle, lines and planes in space.



20 Course aims and outcomes:

مـركـز الاعـتماد وضمان الجودة

A- Aims:

- 1. Master basic concepts and techniques of EuclidianGeometry.
- 2. Use these concepts and techniques in other mathematicalcourses.
- 3. Developtheabilityofp provingseveralkindsofproblemsinthesubject
- B- Students Learning Outcomes (SLOs):

Define Axiomaticmethod.

A2. To identify some paradoxes in Euclidean Geometry and utilizes then to use axiomatic method in studying this Geometry.

A. Intellectual Analytical and Cognitive Skills: Student is expected to

B1. Apply the axiomatic approach to define finite projective. Geometry and prove some theorems concerning the subject.

B2. Define several concepts in order to make this Geometry more accurate like betweensconcept. Considering one case of congruency as an axiom and proving all other cases.

Considering one case of similarity as an axiom and proving other cases.

Proving several main theorems: space separation Theorem, Pasch' Theorem, Cevia Theorem, Menelaus

Theorem, Phythogoream Theorem.

Proving several Theorems concerning circles and related subjects.

Upon successful completion of this course, students will be able to:

	SLO							
SLOs	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)
SLOs of the course								
Apply the axiomatic							•	
approach to define								
finite projective.								
Geometry and prove								
some theorems								
concerning the								
subject.								
Define several							•	
concepts in order to								
make this Geometry								
more accurate like								
betweensconcept								
Considering one case of							•	
congruency as an axiom								
and proving all other								
cases. Proving several main								
theorems: space							•	
separation Theorem,								
Pasch' Theorem, Cevia								
Theorem, Menelaus								
Theorem, Phythogoream								
Theorem.								QF-AG



21. Topic Outline and Schedule:.

Торіс	Week	Instructor	Achieved ILOs	Evaluation Methods
Finite Geometry, Projective and Affine Geometry (An axiomatic approach)	1-2		7	
Axioms of Euclidean Geometry.	3		7	
Congruence of triangles.	4-6		7	
Parallels and Parallelograms.	7-8		7	
Similar triangles.	9-10		7	
The circle.	11-12		7	
Lines and planes in space.	13-15		7	

22 Evaluation Methods:

Evaluation Activity	Mark	Topic(s)	SLOs	Period (Week)	Platform
Exam	20		7		On Campus
Midterm	30		7		On Campus
Final Exam	40		7		On Campus

23 Course Requirements

(e.g: students should have a computer, internet connection, webcam, account on a specific software/platform...etc):



24 Course Policies:

In order to succeed in this course, each student needs to be an active participant in learning – both in class and out of class.

- Class time will be spent on lecture as well as discussion of homework problems and some groupwork.
- To actively participate in class, you need to prepare by reading the textbook and doingall assigned homework before class (homework will be assigned each class period, to be discussed the followingperiod).
- You should be prepared to discuss your homework (including presenting your solutions to the class) at eachclass meeting your class participation grade will be determined by your participation inthis.
- You are encouraged to work together with other students and to ask questions and seek help from theprofessor, both in and out ofclass.

25 References:

A- Required book (s), assigned reading and audio-visuals: C.R. Wylie, JR. Foundations of Geometry. McGraw-Hill Company. B- Recommended books, materials, and media: الهندسة الاقليدية جامعة القدس المفتوحة

26 Additional information:

Name of Course Coordinator: Prof. Omar AbuGhneim Signature: - Date: 3-11-2022 Head of Curriculum Committee/Department: Prof. Ahmad Al Zghoul-- Signature: ------Head of Department: -Prof. Manal Ghanem - Signature: -M. Ghanem

Head of Curriculum Committee/Faculty: ----- Signature: ----

Dean: Mahmoud Jaghoub Signature: -----